

Note :

$$U = \frac{1}{2} QV \quad \therefore Q = Ne$$

$$U = \frac{1}{2} NeV$$

$$= (2 \times 10^{-11}) (144 - 0)$$

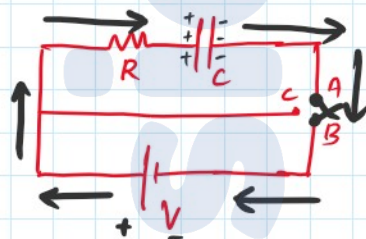
$$= (2 \times 10^{-11}) (63)$$

$$= 126 \times 10^{-11}$$

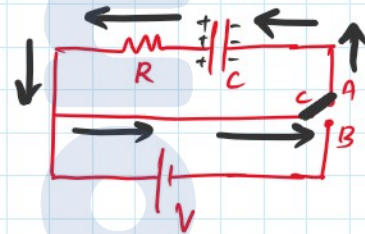
$$U_{inc} = 1.26 \times 10^{-9} \text{ J}$$

Charging & Discharging of Capacitor

Charging



Discharging



Time during which
63% of max.
charge will be
stored

$$\left\{ \begin{array}{l} \text{Time Constant} \\ \tau = RC \end{array} \right\}$$

$$\begin{aligned} e &= 2.7 \\ \ln e &= 1 \\ \log 10 &= 1 \end{aligned}$$

Time during which
37% of max. charge
will be remaining.

$$q = q_0 \left(1 - e^{-t/RC} \right)$$

↑ instant ↑ time const
↑ instantaneous charge ↑ max. charge

$$\text{if } t = RC$$

$$q = 0.63 q_0$$

$$q = 63\% q_0$$

$$\begin{aligned} \text{charge } V &= V_0 (1 - e^{-t/RC}) \\ \text{disch. } V &= V_0 e^{-t/RC} \end{aligned}$$

$$\begin{aligned} Q &= CV \\ V &= \frac{Q}{C} \end{aligned}$$

$$\text{if } t = RC$$

$$q = 0.37 q_0$$

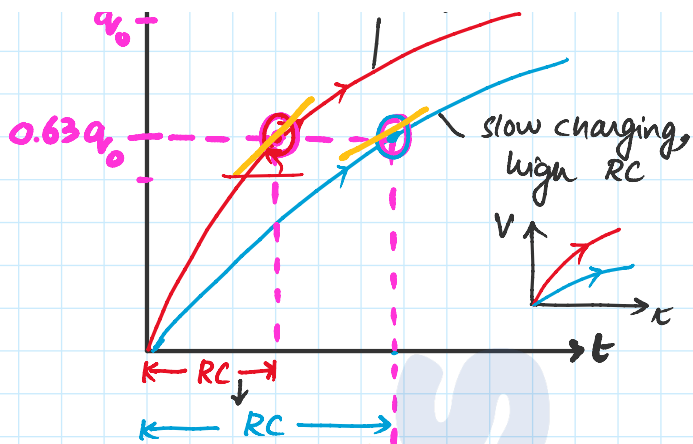
$$q = 37\% q_0$$



Rapid charging, low RC



Rapid discharging, low RC

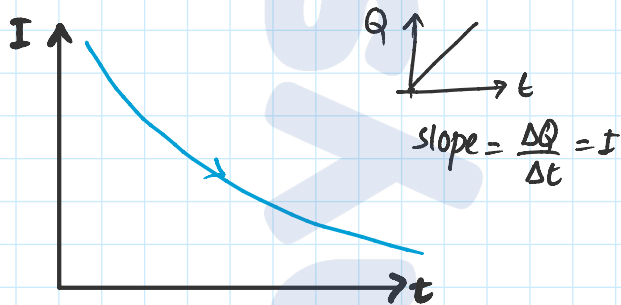


Rate of charging = $\frac{\Delta Q}{\Delta t} = \text{slope} \propto \frac{1}{RC}$

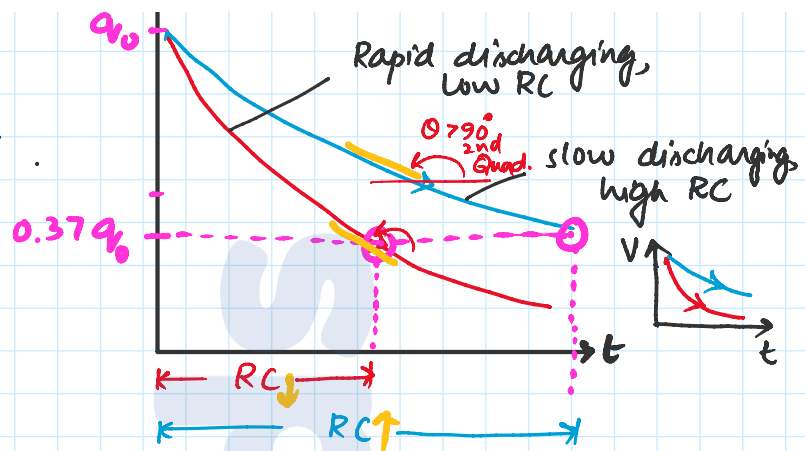
+I

overall slope of graph

↗ dec
↘ time



$$I = I_0 e^{-t/RC}$$

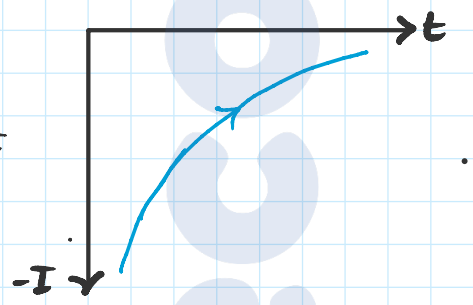


Rate of discharging = $\frac{\Delta Q}{\Delta t} = \text{slope} \propto \frac{1}{RC}$

-I

overall slope of graph

↗ dec
↘ -ive



$$I = I_0 e^{-t/RC}$$